(3) It helps us to learn

- (4) It shows us our limitation
- 24. How does the author reward him after his success?
 - (1) By taking a short holiday
 - (2) By doing more work
 - (3) By visiting friends
 - (4) By thanking God
- 25. What does the author try to convey?
 - One has to be complacent with his present self.
 - (2) One has to work hard and at least learn from failures.
 - (3) Only inborn genius succeed in life
 - (4) One has to believe in luck.

GENERAL KNOWLEDGE

- 26. The term nishka which meant an ornament in the Vedic period was used in later times to denote a/ an : (1) coin (2) weapon (3) script (4) agricultural implement 27. Lord Buddha was born in (1) Lumbini (2) Valshali (3) Bodh Gaya (4) Pavapuri The Puranas are _____ in number. (1)25(2) 18 (3)52(4) 10829. Bimbisara was the ruler of (1) Avadh (2) Kanauj (3) Magadh (4) Gandhara 30. In 1498 Vasco da Gama landed at : (1) Bombay (2) Cochin (3) Calicut (4) Goa 31. The term 'Macedonia's Madman' referred to : (1) Philip 11 (2) Xerxes (4) Alexander (3) Darius 32. Solar system was discovered by: (1) Kepler (2) Galileo (3) Copernicus (4) Eratosthenes 33. The temperature of the Sun's outer surface is : (1) 60000°C (2) 6000°C (3) 60°C (4) 0°C 34. The word used to describe the shape of earth is : (1) Flat (2) Circle (3) Sphere (4) Oblate spheroid
- **35.** What is the longitude of a town if its local time is 6 p.m. when Greenwich mean time is 4 p.m.? (2) 30°E $(1) 20^{\circ} E$ (3) 20°E (4) 30°W 36. Myopia is a defect of : (1) Eye (2) Ear (3) Teeth (4) Mouth 37. Which gas is filled in balloons ? (1) Oxygen (2) Ozone (3) Nitrogen (4) Hydrogen 38. The term 'checkmate' is associated with _____. (2) Badminton (1) Golf (4) Chess (3) Tennis **39.** Thomas cup is associated with (1) Badminton (2) Golf (3) Lawn tennis (4) Basket ball The national emblem of France is _____. (1) Eagle (2) Lily (3) Lion (4) Rose 41. The currency Thailand is : (1) Waht (2) Dinar (3) Dirham (4) Dong Who was the first man to reach North pole? (1) Robert Peary (2) Amundsen (3) Yuri Gagrin (4) None of these 43. The book 'Raghuvamsa' was written by : (1) Tulsidas (2) Valmiki (3) Kalidas (4) Minoo Masani 44. The height of Mt. Everest is : (1) 8880 m (2) 8848 m (3) 8511 m (4) 8484 m 45. In northern hemisphere, the longest day falls on : (1) June 25 (2) June 21 (3) December 21 (4) June 27 Marble is a _____rock. (1) Igneous (2) Sedimentary (3) Metamorphic (4) None of these 47. The Headquarters of Universal Postal Union is : (1) Berne (2) Rome (3) Geneva (4) New York 48. First world war ended in : (1) 1914(2) 1916 (3) 1918(4) 1920 49. India signed an agreement for 57 hawk AJT aircraft in July 2010
- (1) England
- (2) France
- (3) Germany
- (4) America
- 50. Who invented aeroplane ? (1) W. Roentgen
 - (2) Wright brothers
 - (3) Z. Jansen (4) Pitman

(4) r iunan

GENERAL SCIENCE 51. The heaviest among the inner planets is the (1) Earth (2) Mars (4) Venus (3) Mercury 52. Which comet was seen in 1910 and again in 1986? Kohoutek Comet (2) Halley's Comet (3) Great Comet (4) Holme's Comet 53. Treads on the shoe soles are made to increase (1) strength (2) durability (3) friction (4) elasticity 54. An apparatus used for locating submerged objects is known as (1) radar (2) sonar (4) pulsar (3) quasar 55. A GM Counter is used for detecting (1) underground oil (2) coal (3) underground water (4) radioactivity 56. The number of stars in the universe is believed to be (2) 1011 $(1) 10^{10}$ (3) 1015 $(4) 10^{21}$ 57. Rocks of which planet are likely to float on water ? (1) Mars (2) Venus (4) Jupiter (3) Saturn 58. The device used for converting a.c. into d.c. is called (1) transformer (2) rectifier (3) induction coil (4) dynamo 59. The number of chromosomes in a normal human body cell is (1) 43 (2) 44 (3)45(4) 4660. The deficiency of vitamin A causes (1) hair to fall (2) dysentery (3) night blindness (4) weakness

with

61.	Jaundice results from the mal functioning of the		
	TOTAL STATE		
	(1) kidney	(2) liver (4) stomach	
80	(3) lungs		
02.	The medicine	(2) vitamin A	
	(3) chloromyce	1072 075. 1 2 1074 15 4 5 W 1 1 0 1 1 4 2 0 C	
69	(4) sulpha-drug	- 1.50H B	
00.	 Trypansomes are transmit from animal to animal or man 		
	the	annia or man by	
	(1) sand fly	(2) tsetse fly	
	(3) bacilli	(4) spirochaetes	
64.		sumption of alco-	
	holic drinks causes damage to the		
	(1) liver	(2) kidney	
	(3) heart	(4) lungs	
65.	Palaeontology	is the study of	
	(1) birds	(2) bones	
	(3) fossils	(4) primates	
66.	Turpentine is	obtained from	
	(1) crude petro	leum	
	(2) deodar		
	(3) pine	(4) oak	
67.	Which country	is called the sugar	
	bowl of the wo	orld ?	
	(1) Cuba	3 3	
	(3) Argentina	V 5	
68.		particles is in the	
	range of	(a)	
	(1) 10^{-9} m	(2) 10^{-9} cm	
~	(3) 10 ⁻¹⁹ cm	2 10 10 10 10 10 10 10 10 10 10 10 10 10	
69.	An example of	a lyophilic colloid	
	(1) milk	(2) dum	
	(3) fog	(2) gum (4) blood	
70	Example of a l	De la contra ancare	
10.	(1) NaOH	(2) AlCla	
	(3) K ₂ CO ₃	(4) KOH	
71	Morphine is		
	(1) a terpene	(2) a flaronoid	
	(3) an alkaloid	A REAL AND A REAL PROPERTY OF A REAL PROPERTY OF A	
72.	An example of		
0.000	(1) isomagnolol		
	(3) magnolol	2 Children and the second strain	
73.	Cocaine is isol	A CANCER AND CONTRACTS AND SHOW OF	
	(1) opium	(2) cocoa	
	(3) rauwalfia		
74.	North Contraction Contraction Contraction	I that is not a natu-	
	ral product is	1. AMERICAN AMERICAN METAL 23.	
	(1) a pinene	(2) citral	
	(3) camphor		
96	(4) diethyl phth	alate	
75.	Fat-soluble pigments are		
	(1) tannins	(2) lignins	
	(3) alkaloids	(4) flavonoids	

MATHEMATICS 76. If $a_1 a_2 a_3 \dots a_{2n}$, b are in

AP and a, $g_1 g_2$, $g_3 \dots g_{2n} b$ are in GP and h is the HM of aand b then $\frac{a_1 + a_{2n}}{q_1 q_{2n}} + \frac{a_2 + a_{2n} - 1}{g_2 g_{2n-1}}$ + + $\frac{a_n + a_{n+1}}{g_n g_{n+1}}$ is equal to (1) $\frac{2n}{h}$ (2) 2nh (4) $\frac{n}{k}$ (3) nh **77.** If $\cos\theta$, $\sin\phi$, $\sin\theta$ are in GP then roots of $x^2 + 2 \cot \phi$. x + 1 = 0 are always (1) equal (2) real (3) imaginary (4) greater than 1 78. Nonreal Complex number z satisfying the equation $z^3 + 2z^2 + 3z + 2 = 0$ are (1) $\frac{-1\pm\sqrt{-7}}{2}$ (2) $\frac{1+\sqrt{7}i}{2}, \frac{1-\sqrt{7}i}{2}$ (3) -i, $\frac{-1+\sqrt{7}i}{2}$, $\frac{-1-\sqrt{7}i}{2}$ (4) None of these **79.** If $\Delta(x) =$ $1 - \cos x$ 1 COSX $1+\sin x \cos x 1+\sin x-\cos x$ sinx $\sin x$ 1 then, $\int_{0}^{\frac{n}{2}} \Delta(x) dx$ is equal to (1) $\frac{1}{4}$ (2) $\frac{1}{2}$ $(4) - \frac{1}{2}$ (3)0**80.** If (x) denotes the fractional part of x then $\left\{\frac{3^{2n}}{8}\right\}$, $n \in \mathbb{N}$, is (1) $\frac{3}{8}$ (2) 7/8 (3) $\frac{1}{8}$ (4) None of these

81. If $|x| < \frac{1}{2}$, the coefficient of x^4 in the expansion of $\frac{1}{(1+2x)(1-x^2)}$ is (2) 22(1) 1(3) 21(4) None of these The set of all possible values of α in $[-\pi, \pi]$ such that $\sqrt{\frac{1-\sin\alpha}{1+\sin\alpha}}$ is equal to sec α – tan α is (1) $0,\frac{\pi}{2}$ (2) $\operatorname{E}\left(0,\frac{\pi}{2}\right) \cup \left(\frac{\pi}{2},\pi\right)$ (3) $[-\pi, 0]$ (4) $\left(-\frac{\pi}{2}, \frac{\pi}{2}\right)$ 83. The number of solutions of the equation $x^3 + x^2 + 4x + 2 \sin x =$ 0 in $0 \le x \le 2\pi$ is (1) Zero (2) One (3) Two (4) Four **84.** $\tan\left(\frac{\pi}{4} + \frac{1}{2}\cos^{-1}x\right)$ $+ \tan\left(\frac{\pi}{4} - \frac{1}{2}\cos^{-1}x\right)$ $x \neq 0$, is equal to (1) x(2) 2x(3) $\frac{2}{x}$ (4) None of these The number of real values of the parameter k for which $(\log_{16} x)^2$ $-\log_{16}x + \log_{16}k = 0$ with real coefficients will have exactly one solution is (2)1(1) 2(3)4(4) None of these **86.** In $a \Delta ABC$, $A = \frac{2\pi}{3}$, b - c= $3\sqrt{3}$ cm and ar (ΔABC) $=\frac{a\sqrt{3}}{2}$ cm². Then side a is (1) $6\sqrt{3}$ cm (2) 9cm (3) 18 cm (4) None of these 87. The diagonals of a parallelogram PQRS are along the lines x + 3y= 4 and 6x - 2y = 7. Then PQRS must be a (1) rectangle (2) square (3) cyclic quadrilateral (4) rhombus

95. Let $f(x) = \lambda + \mu |x| + \nu |x|^2$,

Then f'(0) exists if

(1) $\mu = 0$ (2) v = 0

where λ , μ , ν are real constants.

88. The area of the triangle formed by two rays whose combined equation is y = |x| and the line x + 2y = 2, is (1) $\frac{8}{3}$ sq. unit (2) $\frac{4}{3}$ sq. unit

(3) 4 sq.unit (4)
$$\frac{16}{3}$$
 sq. unit

- **89.** If the line y 1 = m(x 1) cuts the circle $x^2 + y^2 = 4$ at two real points then the number of possible values of m is : (1) 1 (2) 2
 - (3) infinite
 - (4) None of these
- 90. The ends of a line segment are P(1, 3) and Q (1, 1)- R is a point on the line segment PQ such that PR : $QR = 1 : \lambda$. If R is an interior point of the parabola $y^2 = 4x$ then

(1)
$$\lambda \in (0, 1)$$
 (2) $\lambda \in \left(-\frac{3}{5}, 1\right)$
(3) $\lambda \in \left(\frac{1}{2}, \frac{3}{5}\right)$

(4) None of these

91. The hyperbola
$$\frac{x^2}{a^2} - \frac{y^2}{b^2} = 1$$

passes through the point (2, 3)
and has the eccentricity 2. Then
the transverse axis of the hyper-
bola has the length
(1) 1 (2) 3
(3) 2 (4) 4
92. The domain of the real-valued
function $f(x) = \log_e |\log e^x|$ is
(1) $(1, +\infty)$ (2) $(0, +\infty)$
(3) $(e, +\infty)$
(4) None of these

93. If
$$f'(x) = \sqrt{2x^2 - 1}$$
 and $y = f(x^2)$
then $\frac{dy}{dx}$ at $x = 1$ is
(1) 2 (2) 1
(3) -2
(4) None of these
94. Let $f(x)$ be a twice-differentiable
function and $f'(0) = 2$ then

$$\lim_{x \to 0} \frac{2f(x) - 3f(2x) + f(4x)}{x^2}$$
 is
(1) 6 (2) 3

(3) 12

(4) None of these

(3)
$$\lambda = 0$$

(4) $\mu = v$
96. If $y = \int_{0}^{x} \frac{t^{2}}{\sqrt{t^{2} + 1}} dt$ then the rate of change of y with respect to x when $x = 1$ is
(1) $\sqrt{2}$ (2) $\frac{1}{2}$
(3) $\frac{1}{\sqrt{2}}$ (4) None of these
97. Let $f(x) = 1 + 2x^{2} + 2^{2}x^{4} + \dots + 2^{10}x^{20}$. Then $f(x)$ has
(1) more than one minimum
(2) exactly one minimum
(3) at least one maximum
(4) None of these
98. The curve given by $x + y = e^{xy}$ has a tangent parallel to the y-axis at the point
(1) (0, 1) (2) (1, 0)
(3) (1, 1)
(4) None of these
99. If $f(x) = a \log_{e} |x| + bx^{2} + x$ has extremums at $x = 1$ and $x = 3$ then
(1) $a = \frac{-3}{4}, b = \frac{-1}{8}$
(2) $a = \frac{3}{4}, b = -\frac{1}{8}$
(3) $a = \frac{-3}{4}, b = \frac{1}{8}$
(4) None of these

+

3

100. Let $f(x) = 2 \sin^3 x - 3 \sin^2 x + 12$

$$\sin x + 5, 0 \le x \le \frac{\pi}{2}$$
. Then $f(x)$ is

(1) decreasing in $0, \frac{\pi}{2}$

(2) increasing in $\left[0, \frac{\pi}{2}\right]$

 $0, \frac{\pi}{4}$ and de-(3) increasing in

creasing in $\left[\frac{\pi}{4}, \frac{\pi}{2}\right]$

(4) None of these

	ANSW	ERS	
1.(1)	2 .(3)	3 .(3)	4.(4)
5.(2)	6.(2)	7.(4)	8.(1)
9.(4)	10.(1)	11.(3)	12.(3)
13.(4)	14.(4)	15.(1)	16.(2)
17.(4)	18.(2)	19.(4)	20. (3)
21.(4)	22.(1)	23 .(3)	24.(1)
25.(2)	26. (1)	27.(1)	28.(2)
29. (3)	30.(3)	31.(4)	32.(3)
33.(2)	34.(4)	35.(2)	36.(1)
37.(4)	38.(4)	39.(1)	40.(2)
41.(1)	42.(1)	43. (3)	44.(2)
45.(2)	46.(3)	47.(1)	48.(3)
49.(1)	50.(2)	51.(4)	52.(2)
53. (3)	54.(2)	55.(4)	56.(4)
57.(3)	58. (2)	59.(4)	60.(3)
61.(2)	62. (3)	63 .(2)	64.(1)
65. (3)	66. (3)	67.(1)	68.(1)
69. (2)	70.(2)	71.(3)	72.(4)
73.(2)	74.(4)	75.(2)	76.(1)
77.(2)	78.(3)	79.(4)	80.(3)
81.(3)	82.(4)	83.(2)	84.(3)
85.(1)	86.(2)	87.(4)	88.(2)
89.(3)	90.(1)	91.(3)	92.(4)
93. (1)	94.(1)	95.(1)	96. (3)
97.(2)	98.(2)	99. (1)	100.(2)

EXPLANATIONS

- (1) Article 'A' should be replaced.
- 2. (3) 'Cheers' should be replaced with 'abuses'.
- (3) 'From' should be replaced with of.
- 4. (4) No error
- 5. (2) 'Am knowing' should be replaced with 'know'.
- 6. (2) with
- 7. (4) professional
- 8. (1) was watching
- 9. (4) in connection with
- 10. (1) up
- 11. (3) Sombre (Adjective) means : very sad or serious ; dull.
- 12. (3) Regress (Verb) means : return to an earlier or less advanced state.
- 13. (4) Toxic (Adjective) means : poisonous or relating to or caused by poison.

piece of information just for reference. It may vary from Official

- 14. (4) Yardstick (Noun) means : a standard for comparison.
- (1) Little means : small in size. amount or degree.
- 16. (2) Cumbersome (Adjective) means : difficult to carry or use through size or weight. Its opposite is convenient.
- 17. (4) Loquacious (Adjective) means : talkative. Its opposite is bashful.
- 18. (2) Intelligible (Adjective) means : that can be understood. Its opposite is incomprehensible.
- **19.** (4) **Philanthropist (Noun)** is a person who donates money to good causes or otherwise helps others. Its opposite is miser.
- 20. (3) Anxious (Adjective) means : eager or apprehensive. Its opposite is calm.
- (4) Because of lack of self-discipline
- **22.** (1) By taking risks
- 23. (3) It helps us to learn
- 24. (1) By taking a short holiday
- 25. (2) One has to work hard at least from failures.
- 26. (1) coin 27. (1) Lumbini 28. (2) 18 29. (3) Magadh
- **30.** (3) Calicut 31. (4) Alexander
- 32. (3) Copernicus
- 33. (2) 6000°C
- 34. (4) Oblate spheroid
- **35.** (2) 30°E 36. (1) Eye 37. (4) Hydrogen 38. (4) Chess
- 39. (1) Badminton 40. (2) Lily
- 41. (1) Waht
- 42. (1) Robert Peary 44. (2) 8848 m
- **43.** (3) Kalidas
- 45. (2) June 21
- **46.** (3) Metamorphic 47. (1) Berne 48. (3) 1918
- 49. (1) England
- Wright brothers
- 51. (4) Venus
- 52. (2) Halley's Comet
- 53. (3) friction 54. (2) sonar
- 55. (4) radioactivity
- 56. (4) 10²¹ 57. (3) Saturn
- 58. (2) rectifier 59. (4) 46
- (3) night blindness
- 61. (2) livers
- 62. (3) chloromycetin
- 63. (2) tsetse fly
- 65. (3) fossils 66. (3) pine 68. (1) 10⁻⁹ m 67. (1) Cuba

64. (1) liver

- 69. (2) gum 70. (2) AICL,
- 71. (3) an alkaloid

- 72. (4) papaverine 73. (2) cocoa 74. (4) diethyl phthalate 75. (2) lignins **76.** (1) Here, $a + b = a_1 + a_{2n} = a_2$ $+a_2n-1$ $n-1 = \dots a_n + a_{n+1}$ and $ab = g_1$. $g_{2n} = g_2 g_{2n-1} =$ $\dots = g_n g_{n+1}$ and $h = \frac{2ab}{a+b}$ 77. (2) $\sin^2 \phi = \cos \theta \cdot \sin \theta$ $\therefore \cos 2 \phi = 1 - \sin 2\theta$ $= (\cos \theta - \sin \theta)^2$ $D = 4\cot^2\phi - 4 = 4. \frac{\cos 2\phi}{\sin^2 \phi}$ $= 4. \left(\frac{\cos \theta - \sin \theta}{\sin \phi} \right)^2 > 0 = 0$ ⇒ three numbers are equal which is a special case. **78.** (3) $(z + 1) (z^2 + z + 2) = 0$; nonreal complex roots are found from $z^2 + z + 2 = 0$ **79.** (4) $C_3 \rightarrow C_3 + C_2 - C_1$ gives $\Delta(x) = \begin{vmatrix} 1 & \cos x & 0 \\ 1 + \sin x & \cos x & 0 \\ \sin x & \sin x & 1 \end{vmatrix}$ $= \cos x - \cos x (1 + \sin x)$ $= -\sin x \cdot \cos x$ $\therefore \int_{0}^{\frac{\pi}{2}} \Delta(x) dx = -\frac{1}{2} \int_{0}^{\frac{\pi}{2}} \sin 2x dx$ $=-\frac{1}{2}\left[-\frac{\cos 2x}{x}\right]$ $=\frac{1}{4}(\cos \pi - \cos 0) = -\frac{1}{2}$ **80.** (3) $3^{2n} = (1+8)^n = {}^nC_0 + {}^nC_1 \cdot 8 + {}^nC_2 \cdot 8^2 + \dots + {}^nC_n 8^n$ $\therefore \frac{3^{2n}}{8} = \frac{1}{8} + ({}^{n}C_{1} + {}^{n}C_{2}.8)$ + + "C_n.87) $=\frac{1}{8}$ + integer.
- **81.** (3) Fraction= $\frac{1}{(1+x)(1-x)(1+2x)}$
 - $= \frac{A}{1+x} + \frac{B}{1-x} + \frac{C}{1+2x}$, where $A = \frac{1}{(1+x)(1-x)(1+2x)}$ $= \frac{A}{1+x} + \frac{B}{1-x} + \frac{C}{1+2x}$, where

$$A = \frac{1}{(1 - (-1))(1 + 2(-1))} = -\frac{1}{2};$$

$$B = \frac{1}{(1 + 1)(1 + 2.1)} = \frac{1}{6};$$

$$C = \frac{1}{\left\{1 + \left(\frac{-1}{2}\right)\right\}} \left\{1 - \left(\frac{-1}{2}\right)\right\}} = \frac{4}{3}$$

$$\therefore \text{ Fraction}$$

$$= \frac{-1}{2} (1 + x)^{-1} + \frac{1}{6} (1 - x)^{-1}$$

$$+ \frac{4}{3} (1 + 2x)^{-1}$$

$$= \frac{-1}{2} (1 - x + x^2 - x^3 + x^4 - ...)$$

$$+ \frac{1}{6} \{1 + x + x^2 + x^3 + x^4 + ...\}$$

$$+ \frac{4}{3} (1 - 2x + (2x)^2 - (2x)^3 + (2x)^4 -)$$

$$\therefore \text{ The coefficient of } x^4$$

$$= -\frac{1}{2} + \frac{1}{6} + \frac{4}{3} \times 2^4 = 21$$
82. (4) Clearly $\alpha \neq \pm \frac{\pi}{2}$
sec $\alpha - \tan \alpha = \frac{1 - \sin \alpha}{\cos \alpha}$ and
$$\sqrt{\frac{1 - \sin \alpha}{1 + \sin \alpha}} = \sqrt{\frac{(1 - \sin \alpha)^{-2}}{\cos^2 \alpha}}$$

$$= \left|\frac{1 - \sin \alpha}{\cos \alpha}\right| - \frac{1 - \sin \alpha}{(\cos \alpha)}.$$
Hence, these will be equal if
$$\cos \alpha > 0, \text{ i.e., } -\frac{\pi}{2} < \alpha < \frac{\pi}{2}$$
83. (2) Here, $x^3 + (x + 2)^2 + 2\sin x > 4.$
If $\pi < x \le 2\pi$.
$$x^3 + (x + 2)^2 + 2\sin x > 4.$$
If $\pi < x \le 2\pi$.
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If $\pi < x \le 2\pi$.
$$x^3 + (x + 2)^2 + 2\sin x > 4.$$
If $\pi < x \le 2\pi$.
$$x^3 + (x + 2)^2 + 2\sin x > 4.$$

1 + tan -1 - tan

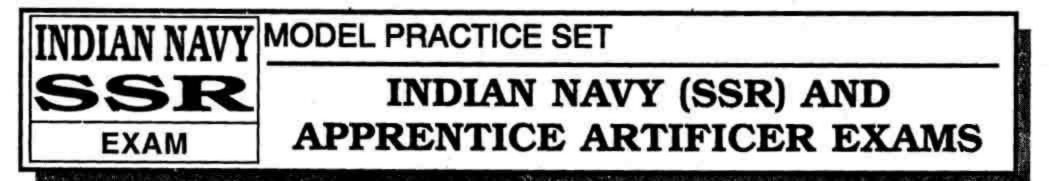
$$= \frac{2(1 + \tan^2 \theta / 2)}{1 - \tan^2 \frac{\theta}{2}} = \frac{2}{\cos \theta} = \frac{2}{x}$$
85. (1) $\log_{16} x = \frac{1 \pm \sqrt{1 - 41 \log_{16} k}}{2}$.
For exactly one solution,
 $4 \log_{16} k = 1$.
 $\therefore k^4 = 16$
 $\therefore k = 2, -2, 2i, -2i$.
But k is positive and real.
86. (2) $\frac{1}{2} b c sin \frac{2\pi}{3}$
 $= \frac{9\sqrt{3}}{2} \text{ or } \frac{1}{2} \cdot \frac{\sqrt{3}}{2} \cdot bc = \frac{a\sqrt{3}}{2}$
 $\Rightarrow bc = 18$.
Also, $\cos \frac{2\pi}{3} = \frac{b^2 + c^2 - a^2}{2bc}$
 $\Rightarrow -\frac{1}{2} = \frac{(b - c)^2 + 2bc - a^2}{2bc}$
or, $(b - c)^2 + 3bc - a^2 = 0$,
or, $27 + 54 = a^2$.
87. (4) The diagonals are perpendicular to each other.
88. (2) The lines are $y = x$, $y = -x$
and $x + 2y = 2$ as shown in the figure.
Solving $y = x$, $x + 2y = 2$, the
point $A = \left(\frac{2}{3}, \frac{2}{3}\right)$
 $\therefore OA = \sqrt{\frac{4}{4} + \frac{4}{a}} = \frac{2\sqrt{2}}{3}$.
Solving $y = -x$, $x + 2y = 2$, the
point $B = (-2, 2)$
 $\therefore OB = \sqrt{4 + 4} = 2\sqrt{2}$
 $\therefore ar (\Delta OAB) = \frac{1}{2} \cdot OA.OB$
 $= \frac{1}{2} \cdot \frac{2\sqrt{2}}{3} \cdot 2\sqrt{2} = \frac{4}{3}$.
89. (3) The line passes through the interior point (1, 1). So, m can

have any real value.

90. (1) R = $\left(1, \frac{1+3\lambda}{1+\lambda}\right)$ It is an interior point of $y^2 - 4x = 0$ if $\left(\frac{1+3\lambda}{1+\lambda}\right)^2 - 4 < 0.$ Therefore, $-\frac{3}{5} < \lambda 1$. But $\lambda > 0$. **91.** (3) $\frac{4}{a^2} - \frac{9}{b^2} = 1$ and $b^2 = a^2 (e^2 - 1) = a^2$. 3. $\therefore \frac{4}{a^2} - \frac{9}{3a^2} = 1$ $\Rightarrow a^2 = 1.$ Transverse axis = 2a= 2 **92.** (4) x > 0 and $\log_e x \neq 0$ $\therefore x > 0 \text{ and } x \neq 1$: domain = $(0, 1) \cup (1, +\infty)$. **93.** (1) $y = f(x^2) \Rightarrow \frac{dy}{dx} = f'(x^2).2x$ $= 2x. \sqrt{2(x^2)^2 - 1}$ At x = 1, $\frac{dy}{dx} = 2.1 \cdot \sqrt{2-1}$ 94. (1) Limit = $\lim_{x \to 0} \frac{2f'(x) - 6f'(2x) + 4f'(4x)}{2x}$ $= \lim_{x \to 0} \frac{2f''(x) - 12''(2x) + 16f''(4x)}{2}$ $=\frac{6\int''(0)}{2}=6$ 95. (1) RH derivative = $\lim_{h \to 0} \frac{\lambda + \mu |0 + h| + \nu |0 + h|^2 - \lambda}{\mu}$ $=h \xrightarrow{\lim} 0 \frac{\mu h + v h^2}{h} = \mu.$ LH derivation = $h \rightarrow 0$ $\frac{\lambda + \mu |0 - h| + v |0 - h|^2 - \lambda}{h}$ $h \xrightarrow{\lim} 0 \frac{\mu h + v h^2}{-h} = -\mu$ f'(x) exists ⇒ RH derivative = LH derivative $\Rightarrow \mu = -\mu$. **96.** (3) $\frac{dy}{dx} = \frac{x^2}{\sqrt{x^2+1}}$ $\therefore \left(\frac{dy}{dx}\right)_{x=1} = \frac{1}{\sqrt{1+1}} = \frac{1}{\sqrt{2}}$

97. (2) $f'(x) = x(4 + 4, 2^2, x^2 + +$ 20.2¹⁰, x¹⁸) $\therefore f'(x) = 0 \Rightarrow x = 0$ only. Also. $\int''(0) > 0$ **98.** (2) Differentiating w.r.t.x, $1 + \frac{dy}{dx} = e^{xy} \left(y + x \frac{dy}{dx} \right)$ or, $\frac{dy}{dx} = \frac{ye^{xy} - 1}{1 - xe^{xy}}$ $\frac{dy}{dx} = \infty$ $\Rightarrow 1 - xe^{xy} = 0$ $\Rightarrow 1 - x(x + y) = 0$ This holds for x = 1, y = 0**99.** (1) Around x = 1, 3we have |x| = x $\therefore f(x) = a \log_a x + bx^2 + x$ $\therefore f'(x) = \frac{a}{x} + 2bx + 1$ From the question, f'(1) = 0, f'(3) = 0 $\therefore a + 2b + 1 = 0,$ $\frac{a}{2} + 6b + 1 = 0.$ 100. (2) $f'(x) = 6 \sin^2 x \cos x - 6 \sin x$ $\cos x + 12 \cos x$ $= 6 \cos x \{\sin^2 x - \sin x + 2\}$ $x = 6 \cos x \left\{ \left(\sin x - \frac{1}{2} \right)^2 + \frac{7}{4} \right\}$ $\therefore \ln \left[0, \frac{\pi}{2}\right], f'(x) \ge 0.$ So, f(x) is increasing in $\left[0, \frac{\pi}{2}\right]$ \mathbf{m} For the availability of all **Books and Magazines of** KIRAN PRAKASHAN PVT. LTD. in MAHARASHTRA & MUMBAI Contact : MAGAZINE CENTRE Mumbai Phone : 9819486434 PATHAK BROTHERS Nagpur Phone : 9823125806 Also visit us at : www.kiranprakashan.com

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ENGLISH

Directions (1-5) : In the following questions, some of the sentences have errors and some have none. Find out which part of a sentence has an error and select answer (1), (2) or (3). If there is no error, your answer is (4).

- A milk (1)/ can provide protein (2)/ for nutritionally balanced diet. (3)/ No error (4).
- When the football team walked onto the field (1)/ the crowd burst into applause, (2)/ but some cheers were heard too. (3)/ No error (4).
- 3. A lot of form-filling is just red tape, (1)/ and sometimes the forms are so complicated (2)/ that people can't make head or tail from them. (3)/ No error (4).
- You are required to explain (1)/ your conduct within two days (2)/ after the receipt of this letter, (3)/ No error (4).
- I now (1)/ am knowing (2)/ all the facts about him.(3)/ No error (4).
 Directions (6-10) : In the follow-

ing questions, sentences are given with blanks to be filled in with appropriate and suitable word(s). Four alternatives are suggested for each question. Choose the correct alternative out of the four.

ur	or the rout.		
6.	I am satisfied	his in-	
	nocence.		
	(1) at (2	2) with	
	(3) for (4	l) of	
7.	People like t	o work for	
	organisation that	t takes interest	
		sonnel and	
	grow		
) physical	
	(3) financial (4		
8.	Ram, along with		
	the family and th		
	the movi		
	(1) was watching	0	
	(2) were watching		
	(3) have been watching		
	(4) watch		
9	The manager wan	ted to meet you	
		in the office.	
	uic theit	in the onice.	

(1) referring to

(2) with regard to

(3) with reference to

(4) in connection with

10. I absolutely refuse to put _____ with that sort of con-

auct.	
(1) up	(2) on
(3) off	(4) out

Directions (11-15) : Out of the four alternatives, choose the one which expresses the **right** meaning of the given word.

~ ~	a Brien nora.	
11.	SOMBRE	
	(1) gloomy	(2) quiet
	(3) serious	(4) sleepy
12.	REGRESS	N N 1998
	(1) seteriorate	(2) degenerate
	(3) backslide	(4) lapse
13.	TOXIC	1.17
	(1) bitter	(2) foul-smelling
	(3) remedial	(4) poisonous
14.	YARDSTICK	2
	(1) summation	(2) size
	(3) statistics	(4) standard
10.000	T YOUND YN	

15. LITTLE

(1) trivial

(3) sample

(2) petty (4) simple

Directions (16-20) : Choose the word opposite in meaning to the given word.

16. CUMBERSOME (1) heavy (2) convenient (3) confident (4) automatic 17. LOQUACIOUS (1) talkative (2) confident (3) diffident (4) bashful **18. INTELLIGIBLE** (1) dull (2) incomprehensible (3) garbled (4) confused **19. PHILANTHROPIST** (1) philistine (2) moralist (3) spendthrift (4) miser 20. ANXIOUS (1) fearful (2) worried (3) calm (4) concerned Directions (21-25) : In the

following questions, you have a brief passage with five questions. Read the passage carefully and choose the best answer to each question out of the four alternatives.

All of us have enormous capabilities. In many of us however, our achievements fail to correlate with our potential, because of lack of self-discipline-the effort needed to channel our energy for productive uses. To maximise your effectiveness you must "learn to put your nose to the grindstone, work against boredom and learn to take the long, hard way in life rather than the short, easy way".

Here are a few suggestions that focus on "How to do what you want to do." Take risks. It is important to realise that nothing in life is achieved unless you risk something. That's how self-confidence develops. Every chance you take offers you valuable spinoffs in terms of learning. Earn a reward. Sometime back I had to face the rather unenviable task of preparing for two examinations simultaneously. I had to be ruthless in driving myself from one goal to another hard nosed attitude saw me sail through the courses. I rewarded myself at the end of it indulging in my favourite pastime and taking a short holiday.

21. Why do car achievements fail to correlate with our potential?

(1) Because of lack of intelligence

- (2) Because of lack of discipline
- (3) Because of lack of external help
- (4) Because of lack of self-discipline
- 22. How does one's self-confidence develop?

(1) By taking risks

- (2) By always meeting with success
- (3) By being cautious(4) By being garrulous
- 23. What does every chance in our life teach us?
 - It helps us to become philosophical
 - (2) It helps us to become idealistic